## CSE211: Compiler Design

 Oct. 11, 2023- Topic: Parser Generator Example 2
- Questions:
- Given token definitions, how would you implement a scanner?
- What can you use token actions for?



## Announcements

- Homework 1 is out!
- Please partner up if you haven't. If you don't have a partner you can make a private post on Piazza. Please do that in the next few days.
- Failing to find a partner by the end of the week will be a $20 \%$ deduction and you will have to do the homework assignment by yourself.
- I will make a shared spreadsheet that we can use to record partners
- Please self organize (use Piazza)
- You will have (slightly more than) 2 weeks to do the homework


## Announcements

- Homework 1 is out!
- Where we are at now:
- The homework has you using PLY to parse 2 languages
- A calculator language
- A regular expression language
- You should have been able to write tokens for each
- At the end of the lecture today you should be able to parse each
- You might need Friday's lecture for the symbol table needed to finish part 1
- Early lectures next week will cover parsing by derivatives needed for part 2


## Announcements

- Think about paper review
- You will need to approve a paper with me by Oct. 23
- First review is due Oct. 30
- You should probably not wait until these due dates because the midterm is also on Oct. 30.
- I give this time for you to organize, not as a guidance!
- You can discuss papers on piazza or ask me for suggestions


## Announcements

- I will have office hours this week: Thursday from 3-5 PM
- Rithik has office hours too

Review

## Parser architecture

## Parser



## PLY Parser Generator

- An implementation of Lex and Yacc in Python
- links:
- source: https://github.com/dabeaz/ply
- docs: https://ply.readthedocs.io/en/latest/

Review PLY code for Lexer

New material

## How to handle keywords and ids

- How to tokenize: if (x)


## How to handle keywords and ids

```
reserved = {
    'if' : 'IF',
    'else': 'ELSE'
}
tokens = ["ID"] + list(reserved.values())
def t_ID(t):
    "[a-zA-Z]+"
    t.type = reserved.get(t.value, 'ID')
    return t
```


## Multiline calculator example

- For this, we will use the lexer and parser
- input:
- 1 or more mathematical expressions separated by a;
- mathematical expressions can have non-negative integers as operands
- mathematical operators are $+,-,{ }^{*}, /$ and ()
- output:
- the solution to each expression


## Reminder: Production rules vs production actions

- Great to check if a string is grammatically correct
- But can the production rules actually help us with compilation??


## Production actions

- Each production option is associated with a code block
- It can use values from its children
- it returns a value to its parent
- Executed in a post-order traversal (natural order traversal)


## Production actions

## input: 1+5*6

Example: executing a mathematical expression during parsing
Children values are passed in as an array $C$, indexed from left to right

| Operator | Name | Productions | Actions |
| :---: | :---: | :---: | :---: |
| +,- | expr | $\begin{aligned} & \text { : expr PLUS term } \\ & \text { \| expr MINUS term } \\ & \text { \| term } \end{aligned}$ | $\begin{aligned} & \{\text { ret } C[0]+C[2]\} \\ & \{\text { ret } C[0]-C[2]\} \\ & \{\text { ret } C[0]\} \end{aligned}$ |
| *,/ | term | : term TIMES factor <br> : term DIV factor <br> \| factor | ```{ret C[0] * C[2]} {ret C[0] / C[2]} {ret C[0]}``` |
| () | factor | : LPAR expr RPAR <br> \| NUM | $\begin{aligned} & \{\text { ret C[1]\} } \\ & \{\text { ret int }(C[0])\} \end{aligned}$ |



We have just implemented a simple arithmetic interpreter!

## Multiline calculator example

```
import ply.lex as lex
tokens = ["NUM", "MULT", "PLUS", "MINUS", "DIV", "LPAR", "RPAR", "SEMI", "NEWLINE"]
t_NUM = '[0-9]+'
t_PLUS = '\+'
t MINUS = '-'
t_DIV = '/'
t_LPAR = '\
t_RPAR = '\)'
t_SEMI = ";"
t_ignore =
def t_NEWLINE(t):
    "\\n"
    t.lexer.lineno += 1
# Error handling rule
def t_error(t):
    print("Illegal character '%s'" % t.value[0])
    exit(1)
lexer = lex.lex()

\section*{Multiline calculator example}
- Import the library
import ply.yacc as yacc
- Simple rule
def p_expr_num(p):
"expr : NUM"
\(\mathrm{p}[0]=\operatorname{int}(\mathrm{p}[1])\)
functions are given prefixed by \(\mathrm{P}_{-}\)
production rules are the doc string
return values are stored in \(\mathrm{p}[0]\) children values are in \(p[1], p[2]\), etc.

\section*{Multiline calculator example}
- Try it out
```

parser = yacc.yacc(debug=True)
result = parser.parse("5")
print(result)

```

What about trying to parse "a"? What about trying to parse " + "?

\section*{Multiline calculator example}
- Next rule
def p_expr_plus(p):
"expr : expr PLUS expr"
\(p[0]=p[1]+p[3]\)
- Try it again
```

result = parser.parse("5 + 4")

```
print(result)

\section*{Multiline calculator example}
- Set an error function
```

def p_error(p):
print("Syntax error in input!")

```
- Set associativity (and precedence)
```

precedence = (
('left', 'PLUS'),
)

```

\section*{Multiline calculator example}
- Next rules
```

def p_expr_minus(p):
"expr : expr MINUS expr"
p[0] = p[1] - p[3]
def p_expr_mult(p):
"expr : expr MULT expr"
p[0] = p[1] * p[3]
def p_expr_div(p):
"expr : expr DIV expr"
p[0] = p[1] / p[3]

```

\section*{Multiline calculator example}
- Last rule for expressions
```

def p_expr_par(p):
"expr : LPAR expr RPAR"
p[0] = p[2]

```

\section*{Multiline calculator example}
- An extra we can easily implement
```

def p_expr_div(p):
"expr : expr DIV expr"
if p[3] == 0:
print("divide by 0 error:")
print("cannot divide: " + str(p[1]) + " by 0")
exit(1)
p[0] = p[1] / p[3]

```

\section*{Multiline calculator example}
- Combining rules:
```

def p_expr_plus(p):
"expr : expr PLUS expr"
p[0] = p[1] + p[3]

```
def p_expr_minus(p):
    "expr : expr MINUS expr"
    \(p[0]=p[1]-p[3]\)
```

def p_expr_mult(p):
"expr : expr MULT expr"
$\mathrm{p}[0]=\mathrm{p}[1] * \mathrm{p}[3]$

```
```

def p_expr_bin(p):
expr : expr PLUS expr
expr MINUS expr
expr MULT expr
""!"
if p[2] == '+':
p[0] = p[1] + p[3]
elif p[2] == '-':
p[0] = p[1] - p[3]
elif p[2] == '*':
p[0] = p[1] * p[3]
else:
assert(False)

```

Multiline calculator demo using lambdas
- demo

\section*{One consideration: Scope}
- What is scope?
- Can it be determined at compile time? Can it be determined at runtime?
- C vs. Python
- Anyone have any interesting scoping rules they know of?

\section*{One consideration: Scope}
- Lexical scope example
```

int x = 0;
int y = 0;
{
int y = 0;
x+=1;
y+=1;
}
x+=1;
y+=1;

```

What are the final values in \(x\) and \(y\) ?

\section*{How to track scope?}
- Symbol table
- Global object, accessible (and mutable) by all production actions
- two methods:
- lookup(id) : lookup an id in the symbol table. Returns None if the id is not in the symbol table.
- insert(id,info) : insert a new id (or overwrite an existing id) into the symbol table along with a set of information about the id.

\section*{a very simple programming language}

VARIABLE_NAME = "[a-z]+"
INCREMENT = " \(\backslash+\backslash+"\)
TYPE = "int"
\[
\begin{aligned}
& \text { int } x ; \\
& x++; \\
& \text { int } y ; \\
& y++;
\end{aligned}
\]

LB = "\{"
\(R B="\} "\)
SEMI = ";"
statements are either a declaration or an increment

\section*{a very simple programming language}
```

VARIABLE_NAME = "[a-z]+"
INCREMENT = " $\backslash+\backslash+"$
TYPE = "int"
LB = "\{"
$R B="\} "$
int $x$;
\{
int $y$;
\}
y++;
SEMI = ";"

```
statements are either a declaration or an increment

\section*{a very simple programming language}

VARIABLE_NAME = "[a-z]+"
INCREMENT = " \(\backslash+\backslash+"\)
TYPE = "int"
LB = "\{"
\(R B="\} "\)
int x ;

SEMI = ";"
statements are either a declaration or an increment

\section*{How to track scope?}
- SymbolTable ST;
declare_variable: TYPE VARIABLE_NAME SEMI \{ \}

Say we have matched string: int \(x\);
```

lookup(id) : lookup an id in the symbol table. Returns None if the
id is not in the symbol table.
insert(id,info) : insert a new id (or overwrite an existing id) into
the symbol table along with a set of information about the id.

```

\section*{How to track scope?}
- SymbolTable ST;
declare_variable: TYPE VARIABLE_NAME SEMI \{ST.insert (C[1],C[0]) \}

Say we are matched string: int \(x\);

In this example we are storing a type

\section*{How to track scope?}
- SymbolTable ST;

Say we are matched string:
x++;
```

variable_inc: VARIABLE_NAME INCREMENT SEMI
{ }
lookup(id) : lookup an id in the symbol table. Returns None if the
id is not in the symbol table.
insert(id,info) : insert a new id (or overwrite an existing id) into
the symbol table along with a set of information about the id.

```

\section*{How to track scope?}
- SymbolTable ST;

Say we are matched string:
x++;
```

variable_inc: VARIABLE_NAME INCREMENT SEMI
{if not ST.lookup(x):
raise SymbolTableException;
else:
... // continue}

```

\section*{How to track scope?}
- SymbolTable ST;
statement : variable_inc
| declare_variable
statement_list : statement_list statement
statement

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statement : variable_inc
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statement_list : statement_list statement
statement
adding in scope

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- SymbolTable ST;
statement : variable_inc
| declare_variable
| LBAR statement_list RBAR
statement_list : statement_list statement
| statement

\section*{How to track scope?}
- SymbolTable ST;
statement : LBAR statement_list RBAR
start a new scope \(S\)
remove the scope \(S\)

\section*{How to track scope?}
- Symbol table
- four methods:
- lookup(id) : lookup an id in the symbol table. Returns None if the id is not in the symbol table.
- insert(id,info) : insert a new id into the symbol table along with a set of information about the id.
- push_scope() : push a new scope to the symbol table
- pop_scope() : pop a scope from the symbol table

\section*{How to track scope?}
- SymbolTable ST;
statement : LBAR statement_list RBAR
start a new scope \(S\)
remove the scope \(S\)

Think about how to solve with production rules

\section*{How to implement a symbol table?}
- Thoughts? What data structures are good at mapping strings?
- Symbol table
- four methods:
- lookup(id) : lookup an id in the symbol table. Returns None if the id is not in the symbol table.
- insert(id,info) : insert a new id into the symbol table along with a set of information about the id.
- push_scope() : push a new scope to the symbol table
- pop_scope() : pop a scope from the symbol table

\section*{How to implement a symbol table?}
- Many ways to implement:
- A good way is a stack of hash tables:

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```

insert(id,data)

```

HT 1

HT 0

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\author{
lookup (id)
}

HT 1

HT 0

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HT 1

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\section*{How to implement a symbol table?}
- Example
```

int x = 0;
int y = 0;
{
int y = 0;
x++;
y++;
}
x++;
y++;

```
```

