CSE211: Compiler Design Nov. 27, 2023

• **Topic**: Loop structure and DSLs

- Discussion questions:
 - Lots of discussions throughout about loops and DSLs





Announcements

- Homework 3 is due on FRIDAY
 - Two day extension
 - No extension on HW 4
 - It will be released on Wednesday
 - It is due on Dec. 15. No extensions will be possible.
 - Have partners by Monday
- Second paper needs to be selected by Monday

Announcements

- Final project presentations are required by Dec. 6
 - 10 minutes
 - Things don't have to be completed
 - But you should be able to present at least one result and your approach.
- I will randomly select a subset of people to do final presentations in class over Dec. 6 and Dec. 8.
- If you are not selected, then a zoom recording of your presentation is due on Dec. 8.

Announcements

- Final Exam:
 - Tuesday Dec 12: 8 AM 11 AM
 - 3 pages of notes allowed
 - Inclusive material
 - Same style as midterm, but probably ~2x as long.

Guest lecture next time!

- Two presenters from Google about using ML in compilers:
 - Ondrej Sykora GRANITE: using ML to estimate the throughput of basic blocks
 - Mircea Trofin MLGO: using ML to pick when to apply compiler optimizations
- Both papers linked in canvas announcement: please try to overview the papers before the lecture
- Mircea will be around for the day. Let me know if you'd like to meet with him and I can organize.

Review

Shifting our focus back to a single core

- We need to consider single threaded performance
- Good single threaded performance can enable better parallel performance
 - Memory locality is key to good parallel performance.



Discussion

Discussion questions:

What is a DSL? What are the benefits and drawbacks of a DSL? What DSLs have you used?

Halide:





pretty straight forward computation for brightening

(1 pass over all pixels)

This computation is known as the "Local Laplacian Filter". Requires visiting all pixels 99 times





We want to be able to do this fast and efficiently!

Main results in from Halide show a 1.7x speedup with 1/5 the LoC over hand optimized versions at Adobe

Decoupling computation from optimization

- We love Halide not only because it can make pretty pictures very fast
- We love it because it changed the level of abstraction for thinking about computation and optimization
- (Halide has been applied in many other domains now, turns out everything is just linear algebra)

Halides approach

- Decouple
 - what to compute (the program)
 - with how to compute (the optimizations, also called the schedule)

program add(x,y) = b(x,y) + c(x,y)schedule

add.order(x,y)

Halide (high-level)



Schedule

Var x_outer, x_inner, y_outer, y_inner; gradient.split(x, x_outer, x_inner, 4); gradient.split(y, y_outer, y_inner, 4); gradient.reorder(x_inner, y_inner, x_outer, y_outer);

```
for (int y = 0; y < 4; y++) {
    for (int x = 0; x < 4; x++) {
        output[y,x] = x + y;
     }
}</pre>
```

from: https://halide-lang.org/tutorials/tutorial_lesson_05_scheduling_1.html

```
Halide::Func gradient fast;
                                           Finally: a fast schedule that they found:
Halide::Var x, y;
gradient fast (x, y) = x + y;
Halide::Buffer<int32 t> output =
              gradient.realize({2, 2});
Var x outer, y outer, x inner, y inner, tile index;
gradient fast
              .tile(x, y, x outer, y outer, x inner, y inner, 64, 64)
              .fuse(x outer, y outer, tile index)
              .parallel(tile index);
Var x inner outer, y inner outer, x vectors, y pairs;
gradient fast
       .tile(x inner, y inner, x inner outer, y inner outer, x vectors, y pairs, 4, 2)
       .vectorize(x vectors)
       .unroll(y pairs);
```

New material

function fusing...

Halide::Func blur_x(x,y) = in(x-1,y) + in(x,y) + in(x+1,y);

Halide::Func blur(x,y) = blur_x(x,y+1) + blur_x(x,y) + blur_x(x,y-1);

Halide::Func blur_x(x,y) = in(x-1,y) + in(x,y) + in(x+1,y);

Halide::Func blur(x,y) = blur_x(x,y+1) + blur_x(x,y) + blur_x(x,y-1);



Halide::Func blur_x(x, y) = in(x-1, y) + in(x, y) + in(x+1, y);

Halide::Func blur(x,y) = $\frac{blur_x(x,y+1)}{blur_x(x,y+1)}$ + $blur_x(x,y)$ + $blur_x(x,y-1)$;



Halide::Func blur_x(x,y) = in(x-1,y) + in(x,y) + in(x+1,y);

Halide::Func blur(x,y) = blur_x(x,y+1) + $\frac{blur_x(x,y)}{blur_x(x,y)}$ + blur_x(x,y-1);



Halide::Func blur_x(x, y) = in(x-1, y) + in(x, y) + in(x+1, y);

Halide::Func blur(x,y) = blur_x(x,y+1) + blur_x(x,y) + $\frac{blur_x(x,y-1)}{blur_x(x,y-1)}$;



Halide::Func blur_x(x, y) = in(x-1, y) + in(x, y) + in(x+1, y);

Halide::Func blur(x,y) = blur_x(x,y+1) + blur_x(x,y) + blur_x(x,y-1);

how to compute?

Halide::Func blur_x(x,y) = in(x-1,y) + in(x,y) + in(x+1,y);

Halide::Func blur(x,y) = blur_x(x,y+1) + blur_x(x,y) + blur_x(x,y-1);

input







Halide::Func blur_x(x,y) = in(x-1,y) + in(x,y) + in(x+1,y);

Halide::Func blur(x,y) = blur_x(x,y+1) + blur_x(x,y) + blur_x(x,y-1);

```
alloc blurx[2048][3072]
foreach y in 0..2048:
    foreach x in 0..3072:
        blurx[y][x] = in[y][x-1] + in[y][x] + in[y][x+1]
```

```
alloc out[2046][3072]
foreach y in 1..2047:
    foreach x in 0..3072:
        out[y][x] = blurx[y-1][x] + blurx[y][x] + blurx[y+1][x]
```

pros?

Halide::Func blur_x(x,y) = in(x-1,y) + in(x,y) + in(x+1,y);

Halide::Func blur(x,y) = blur_x(x,y+1) + blur_x(x,y) + blur_x(x,y-1);



Halide::Func blur_x(x,y) = in(x-1,y) + in(x,y) + in(x+1,y);

Halide::Func blur(x,y) = blur_x(x,y+1) + blur_x(x,y) + blur_x(x,y-1);

Other options?

Halide::Func blur_x(x,y) = in(x-1,y) + in(x,y) + in(x+1,y);

Halide::Func blur(x,y) = blur_x(x,y+1) + blur_x(x,y) + blur_x(x,y-1);

completely inline

Halide::Func blur_x(x,y) = in(x-1,y) + in(x,y) + in(x+1,y);

Halide::Func blur(x,y) = blur_x(x,y+1) + blur_x(x,y) + blur_x(x,y-1);

input







These two squares will both sum up the same values in blue

Halide::Func blur_x(x,y) = in(x-1,y) + in(x,y) + in(x+1,y);

Halide::Func blur(x,y) = blur_x(x,y+1) + blur_x(x,y) + blur_x(x,y-1);

other ideas?

Halide::Func blur_x(x,y) = in(x-1,y) + in(x,y) + in(x+1,y);

Halide::Func blur(x,y) = blur_x(x,y+1) + blur_x(x,y) + blur_x(x,y-1);

first iteration, only compute blur_x

sliding window



blur

Halide::Func blur_x(x,y) = in(x-1,y) + in(x,y) + in(x+1,y);

Halide::Func blur(x,y) = blur_x(x,y+1) + blur_x(x,y) + blur_x(x,y-1);

sliding window



first iteration, only compute blur_x second iteration, compute blur_x again: Compute first blur



Halide::Func blur_x(x, y) = in(x-1, y) + in(x, y) + in(x+1, y);

Halide::Func blur(x,y) = blur_x(x,y+1) + blur_x(x,y) + blur_x(x,y-1);

sliding window







Third iteration drop first bar Compute second blur compute one next row

Halide::Func blur_x(x,y) = in(x-1,y) + in(x,y) + in(x+1,y);

Halide::Func blur(x,y) = blur_x(x,y+1) + blur_x(x,y) + blur_x(x,y-1);

sliding window





first iteration, only compute blur_x second iteration, compute blur_x again: Compute first blur

Third iteration drop first bar Compute second blur compute one next row

Fourth iteration Drop second bar Compute third blur Compute one next row

Fusing functions

- Can compose with all other optimizations
 - Tiling, loop order, unrolling, etc.
 - Creates a very powerful optimization framework, and automatically produces code that you do not want to write by hand!

End Halide

Next topic: Compiling concurrency

What happens when threads share data?
Global variable:

int x[1] = {0}; int y[1] = {0};

<u>Thread 0:</u>

S:store(x, 1); L:%t0 = load(y);

<u>Thread 1:</u>

S:store(y, 1); L:%t1 = load(x);

Global variable:

int x[1] = {0}; int y[1] = {0};

Thread 0:

S:store(x, 1); L:%t0 = load(y);

S:store(x, 1);

L:to = load(y);

<u>Thread 1:</u> S:store(y, 1); L:%t1 = load(x);

pick from the top of the pile of either thread

Sequential Consistency

- Sequential interleaving of atomic instructions
- What are "atomic instructions"?

Global variable:

int $x[1] = \{0\};$ int $y[1] = \{0\};$

Thread 0:

S:store(x, 1); L:%t0 = load(y);



<u>Thread 1:</u> S:store(y, 1); L:%t1 = load(x);

pick from the top of the pile of either thread Can t0 == t1 == 0 at the end of the execution?

Demo

• What is going on?



Core 0

Thread 1:

mov [y], 1

mov %t1, [x]

Core 1

x:0	
y:0	Main Memory



x:0	
y:0	Main Memory

<u>Thread 0:</u>					Thread 1	<u>:</u>
mov %t0, [у]	X86 c buffe going	ores contain a sto r; holds stores be to main memory	ore fore /	mov %t1,	[x]
Core 0	Store Buffer x:1			Store Buffer y:1	Core 1	





















Thread 1:

Execute next instruction









Thread 1:

Values get loaded from memory





<u>Thread 1:</u>

we see t0 == t1 == 0!







Our first relaxed memory execution!

- also known as weak memory behaviors
- An execution that is NOT allowed by sequential consistency
- A memory model that allows relaxed memory executions is known as a relaxed memory model

Litmus tests

- Small concurrent programs that check for relaxed memory behaviors
- Vendors have a long history of under documented memory consistency models
- Academics have empirically explored the memory models
 - Many vendors have unofficially endorsed academic models
 - X86 behaviors were documented by researchers before Intel!

Litmus tests

This test is called "store buffering"

Three	nd 0:		
mov	[x],	1	
mov	%t0,	[y]	

Three	ad 1:		
mov	[y],	1	
mov	%t1,	[x]	

Can t0 == t1 == 0?

Restoring sequential consistency

- It is typical that relaxed memory models provide special instructions which can be used to disallow weak behaviors.
- These instructions are called Fences
- The X86 fence is called mfence. It flushes the store buffer.





<u>Thread 0:</u>





<u>Thread 0:</u>



















execute next instruction





values are loaded from memory



We don't get the problematic behavior: t0 != 0 and t1 != 0



Next example

<u>Thread 0:</u>



single thread same address

possible outcomes: t0 = 1 t0 = 0

Which one do you expect?

x:0	
y:0	Main Memory

<u>Thread 0:</u>			
mov [x],	1		How does this execute?
mov %t0,	[x]		
Core 0	Store Buffer		

x:0	
y:0	Main Memory

<u>Thread 0:</u>

execute first instruction





x:0	
y:0	Main Memory
<u>Thread 0:</u>

Store the value in the store buffer

mov %t0, [x]

	Store Buffer
Core 0	x:1

x:0	
y:0	Main Memory



Next instruction



x:0	
y:0	Main Memory

<u>Thread 0:</u>

Where to load??

Store buffer? Main memory?





<u>Thread 0:</u>

Where to load??

Threads check store buffer before going to main memory

It is close and cheap to check.



x:0	
y:0	Main Memory

Question

• Can stores be reordered with stores?

int $x[1] = \{0\};$ int $y[1] = \{0\};$

Thread 0:

S:mov [x], 1 L:mov %t0, [y]

S:mov [x], 1

L:mov %t0, [y]

Can t0 == t1 == 0?

<u>Thread 1:</u> S:mov [y], 1 L:mov %t1, [x]



Rules: S(tores) followed by a L(oad) do not have to follow program order.

int $x[1] = \{0\};$ int $y[1] = \{0\};$

Thread 0:

S:mov [x], 1 mfence L:mov %t0, [y]

S:mov [x], 1

mfence

L:mov %t0, [y]

Can t0 == t1 == 0?



Rules: S(tores) followed by a L(oad) do not have to follow program order.

int $x[1] = \{0\};$ int $y[1] = \{0\};$

Thread 0:

S:mov [x], 1 mfence L:mov %t0, [y]

S:mov [x], 1

mfence

L:mov %t0, [y]

Can t0 == t1 == 0?

Thread 1:S:mov [y], 1mfenceL:mov %t1, [x]



Rules:

S(tores) followed by a L(oad) do not have to follow program order.

S(tores) cannot be reordered past a fence in program order

Rules

• Are we done?

Rules: S(tores) followed by a L(oad) do not have to follow program order.

S(tores) cannot be reordered past a fence in program order

int x[1] = {0}; int y[1] = {0};

<u>Thread 0:</u>

S:mov [x], 1 L:mov %t0, [x]

S:mov [x], 1

L:mov %t0, [x]

Another test Can t0 == 0?

Rules: S(tores) followed by a L(oad) do not have to follow program order.

S(tores) cannot be reordered past a fence in program order

int $x[1] = \{0\};$ int $y[1] = \{0\};$

Thread 0:

S:mov [x], 1 L:mov %t0, [x]

S:mov [x], 1

L:mov %t0, [x]

Another test Can t 0 == 0?

> Rules: S(tores) followed by a L(oad) do not have to follow program order.

S(tores) cannot be reordered past a fence in program order

S(tores) cannot be reordered past L(oads) from the same address

TSO - Total Store Order

Rules:

S(tores) followed by a L(oad) do not have to follow program order.

S(tores) cannot be reordered past a fence in program order

S(tores) cannot be reordered past L(oads) from the same address

• We can specify them in terms of what reorderings are allowed



• We can specify them in terms of what reorderings are allowed



Sequential Consistency

• We can specify them in terms of what reorderings are allowed



TSO - total store order

• We can specify them in terms of what reorderings are allowed



Weaker models?

• We can specify them in terms of what reorderings are allowed



PSO - partial store order

If memory access 0 appears before memory access 1 in program order, can it bypass program order?

Allows stores to drain from the store buffer in any order

• We can specify them in terms of what reorderings are allowed



RMO - Relaxed Memory Order

If memory access 0 appears before memory access 1 in program order, can it bypass program order?

Very relaxed model!

• FENCE: can always restore order using fences. Accesses cannot be reordered past fences!

Any Memory Model

If memory access 0 appears before memory access 1 in program order, and there is a FENCE between the two accesses, can it bypass program order?

int x[1] = {0}; int y[1] = {0}; First thing: change our syntax to pseudo code You should be able to find natural mappings to any ISA

<u>Thread 0:</u>

L:%t0 = load(y) S:store(x,1)

<u>Thread 1:</u> L:%t1 = load(x) S:store(y,1)

int $x[1] = \{0\};$ int $y[1] = \{0\};$ Question: can t0 == t1 == 1?

Thread 0:

L:%t0 = load(y) S:store(x,1)

<u>Thread 1:</u> L:%t1 = load(x) S:store(y,1)

int $x[1] = \{0\};$ int $y[1] = \{0\};$

Question: can t0 == t1 == 1?

Get out our lego bricks and try for sequential consistency

Thread 0:

L:%t0 = load(y) S:store(x,1)

L:%t0 = load(y)

S:store(x,1)

<u>Thread 1:</u> L:%t1 = load(x) S:store(y,1)

$$L:$$
 = load(x)

S:store(y,1)

int $x[1] = \{0\};$ int $y[1] = \{0\};$ Question: can t0 == t1 == 1?

Get out our lego bricks and try for TSO

Thread 0:

L:%t0 = load(y) S:store(x,1)

L:%t0 = load(y)

S:store(x,1)

Thread 1: L:%t1 = load(x) S:store(y,1) L:%t1 = load(x) S:store(y,1) memory access 0 S L Different L NO address memory access 1 S NO NO

int $x[1] = \{0\};$ int $y[1] = \{0\};$ Question: can t0 == t1 == 1?

Get out our lego bricks and try for PSO

Thread 0:

L:%t0 = load(y) S:store(x,1)

L:%t0 = load(y)

S:store(x,1)

Thread 1: L:%t1 = load(x) S:store(y,1) L:%t1 = load(x) S:store(y,1) memory access 0 S L Different L NO address memory access 1 Different S NO address

int $x[1] = \{0\};$ int $y[1] = \{0\};$ Question: can t0 == t1 == 1?

Get out our lego bricks and try for RMO



int $x[1] = \{0\};$ int $y[1] = \{0\};$ Question: can t0 == t1 == 1?

Get out our lego bricks and try for RMO

<u>Thread 0:</u> L:%t0 = load(y) fence S:store(x,1)

L:%t0 = load(y)

fence

S:store(x,1)



How do we disallow it?

Compiling relaxed memory models

Compiling relaxed memory models

- C++ style:
 - Any memory conflicts (read-write or write-write) must be accessed with an atomic operation*
 - Otherwise your program is undefined
 - By default, you will get sequentially consistent behavior
 - *unless they are synchronized, which is a really complicated concept in c++...
 If you are interested, I can recommend papers.

start with both of the grids for the two different memory models

language C++11 (sequential consistency)



target machine



start with both of the grids for the two different memory models





start with both of the grids for the two different memory models

language C++11 (sequential consistency)



find mismatch





start with both of the grids for the two different memory models



find mismatch

Two options:

make sure stores are not reordered with later loads

make sure loads are not reordered with earlier stores





start with both of the grids for the two different memory models



start with both of the grids for the two different memory models



start with both of the grids for the two different memory models



load/stores in your program

start with both of the grids for the two different memory models


C++11 atomic operation compilation

start with both of the grids for the two different memory models





C++11 atomic operation compilation

start with both of the grids for the two different memory models



Memory orders

- Atomic operations take an additional "memory order" argument
 - memory_order_seq_cst default
 - memory_order_relaxed weakest

Relaxed memory order



L S L NO NO S NO NO

	langu	lage	
C++11	(memory_	_order_	_relaxed)



basically no orderings except for accesses to the same address

language C++11 (memory_order_relaxed)

	L	S	
L	different address	different address	
S	different address	different address	



L

S

language C++11 (memory_order_relaxed)

	L	S	
L	different address	different address	
S	different address	different address	

lots of mismatches!

target machine TSO (x86)



L

S

language C++11 (memory_order_relaxed)

	L	S	
L	different address	different address	
S	different address	different address	

lots of mismatches!

But language is more relaxed than machine

so no fences are needed

target machine TSO (x86)



L

S

Do any of the ISA memory models need any fences for relaxed memory order?

language C++11 (memory_order_relaxed)



Memory order relaxed

- Very few use-cases! Be very careful when using it
 - Peeking at values (later accessed using a heavier memory order)
 - Counting (e.g. number of finished threads in work stealing)

More memory orders: we will not discuss in class

- Atomic operations take an additional "memory order" argument
 - memory_order_seq_cst default
 - memory_order_relaxed weakest
- More memory orders (useful for mutex implementations):
 - memory_order_acquire
 - memory_order_release
- EVEN MORE memory orders (complicated: in most research it is ommitted)
 - memory_order_consume

Memory consistency in the real world

- Historic Chips:
 - X86: TSO
 - Surprising robost
 - mutexes and concurrent data structures generally seem to work
 - watch out for store buffering
 - IBM Power and ARM
 - Very relaxed. Similar to RMO with even more rules
 - Mutexes and data structures must be written with care
 - ARM recently strengthened theirs

Memory consistency in the real world

- Modern Chips:
 - RISC-V : two specs: one similar to TSO, one similar to RMO
 - Apple M1: toggles between TSO and weaker

Memory consistency in the real world

- PSO and RMO were never implemented widely
 - I have not met anyone who knows of any RMO taped out chip
 - They are part of SPARC ISAs (i.e. RISC-V before it was cool)
 - These memory models might have been part of specialized chips
- Interestingly:
 - Early Nvidia GPUs appeared to informally implement RMO
- Other chips have very strange memory models:
 - Alpha DEC basically no rules

Compiler

- Previously (before C/++11):
 - Use volatile
 - Use inline assembly for fences
 - Not portable!
- Now:
 - C/++11 memory model
 - But there are still bugs: Intel OpenCL compiler, IBM C++ compiler...

Further research

- Should we provide sequential consistency by default? even without atomics?
 - How to do this?
 - Many interesting papers

A cautionary tale

Thread 0:

m.lock(); display.enq(triangle0); m.unlock(); Thread 1:

m.lock(); display.enq(triangle1); m.unlock();

Thread 0:

m.lock(); display.enq(triangle0); m.unlock(); Thread 1:

m.lock(); display.enq(triangle1); m.unlock();

We know how lock and unlock are implemented

Thread 0:

SPIN:CAS(mutex,0,1); display.enq(triangle0); store(mutex,0);

Thread 1:

SPIN:CAS(mutex,0,1);
display.enq(triangle1);
store(mutex,0);

We know how lock and unlock are implemented We also know how a queue is implemented

Thread 0:

```
SPIN:CAS(mutex,0,1);
%i = load(head);
store(buffer+i, triangle0);
store(head, %i+1);
store(mutex,0);
```

```
Thread 1:
```

```
SPIN:CAS(mutex,0,1);
%i = load(head);
store(buffer+i, triangle1);
store(head, %i+1);
store(mutex,0);
```

We know how lock and unlock are implemented We also know how a queue is implemented

What is an execution?

```
SPIN:CAS(mutex,0,1);
%i = load(head);
store(buffer+i, triangle0);
store(head, %i+1);
store(mutex,0);
```

Thread 1:

```
SPIN:CAS(mutex,0,1);
%i = load(head);
store(buffer+i, triangle1);
store(head, %i+1);
store(mutex,0);
```

CAS(mutex, 0, 1);

if blue goes first it gets to complete its critical section while thread 1 is spinning

```
SPIN:CAS(mutex,0,1);
%i = load(head);
store(buffer+i, triangle0);
store(head, %i+1);
store(mutex,0);
```

Thread 1:

```
SPIN:CAS(mutex,0,1);
%i = load(head);
store(buffer+i, triangle1);
store(head, %i+1);
store(mutex,0);
```



```
SPIN:CAS(mutex,0,1);
%i = load(head);
store(buffer+i, triangle0);
store(head, %i+1);
store(mutex,0);
```

Thread 1:

```
SPIN:CAS(mutex,0,1);
%i = load(head);
store(buffer+i, triangle1);
store(head, %i+1);
store(mutex,0);
```



now yellow gets a change to go

```
SPIN:CAS(mutex,0,1);
%i = load(head);
store(buffer+i, triangle0);
store(head, %i+1);
store(mutex,0);
```

Thread 1:

```
SPIN:CAS(mutex,0,1);
%i = load(head);
store(buffer+i, triangle1);
store(head, %i+1);
store(mutex,0);
```



now yellow gets a change to go

```
SPIN:CAS(mutex,0,1);
%i = load(head);
store(buffer+i, triangle0);
store(head, %i+1);
store(mutex,0);
```

Thread 1:

```
SPIN:CAS(mutex,0,1);
%i = load(head);
store(buffer+i, triangle1);
store(head, %i+1);
store(mutex,0);
```

what can happen in a PSO *memory model?* S Different NO address NO Different S address



```
SPIN:CAS(mutex,0,1);
%i = load(head);
store(buffer+i, triangle0);
store(head, %i+1);
store(mutex,0);
```

Thread 1:

```
SPIN:CAS(mutex,0,1);
%i = load(head);
store(buffer+i, triangle1);
store(head, %i+1);
store(mutex,0);
```

what can happen in a PSO *memory model?* S Different NO address NO Different S address



S

```
SPIN:CAS(mutex,0,1);
%i = load(head);
store(buffer+i, triangle0);
store(head, %i+1);
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```

Thread 1:

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```



Nvidia in 2015

- Nvidia architects implemented a weak memory model
- Nvidia programmers expected a strong memory model
- Mutexes implemented without fences!

Nvidia in 2015







bug found in two Nvidia textbooks

We implemented a side-channel attack that made the bugs appear more frequently

These days Nvidia has a very well-specified memory model!







S

```
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Thread 1:

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Thanks!

• Next, we will talk about decoupled access execute (DAE)